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MPHDURS-EE-2013

SUBJECT: Mathematics



.10150

		Sr. No
Time : 11/4 Hours	Max. Marks: 100	Total Questions: 100
Candidate's Name	Dat	e of Birth
Father's Name	Mother's Name	
Roll No. (in figures)	(in words)	
Date of Examination		
(Signature of the Candidate)	-	(Signature of the Invigilator)

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- 1. All questions are compulsory and carry equal marks.
- 2. All the candidates must return the question booklet as well as OMR Answer-Sheet to the Invigilator concerned before leaving the Examination Hall, failing which a case of use of unfair-means/misbehaviour will be registered against him/her, in addition to lodging of an FIR with the police. Further the answer-sheet of such a candidate will not be evaluated.
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1.	The product of two	odd permutations is	:			
	(1) even and odd	(2) odd	(3)	even	(4)	none of these
2.	A group has almost	one composition ser	ies.	This result is kno	own	as:
	(1) Cayley's theorem	m	(2)	Sylow's theorem	n	
	(3) Lagrange's theo	rem	(4)	Jordan-Holder t	heor	em
3.	If every non-constant (1) Algebraically C (3) Perfect Field	nt polynomial over a losed Field	(2)	d F has all its roo Prime Field None of the abo		F, then F is:
4.	Let $R = F[x]$ be a po	olynomial ring over a	a fie	$\operatorname{Id} F$. Then R is:		
	(1) Artinian but no	t Noetherian	(2)	Artinian and No	oeth	erian both
	(3) Neither Artinia	n nor Noetherian	(4)	Noetherian but	not .	Artinian
5.	Which of the follow	ing is a prime field?)			
	(1) Q	(2) R	(3)	\mathcal{C}	(4)	Z_n
6.	Let G be a commut	ative group having o	com	position series. T	hen	G must be:
	(1) Infinite			Finite		
	(3) Finite with $G' =$: G	(4)	Infinite with Z(G) =	< e >
7.	Let M be a simple	R -module and $T \in F$	lom	er (M M) such	that	$T \neq 0$ then:
	$(1) I_m(1) = 0$	$(2) \ker(T) = M$	(3)	1 is singular	(4)	I is non-singular
8.	A composition serie	es for a group is:				
	(1) Central series	(2) Derived series	(3)	Solvable series	(4)	None of these
9.	The degree of the s	plitting field of the p	olvi	nomial $f(x) = x^{10}$	-1	over O is:
	(1) 10	(2) 4		6	(4)	
40			()			
10.	Any group of order		(0)		7.45	
	(1) Abelian	8 8 *0				<i>p</i> -group
11.	10 m				ular	ities (including that at
	(1) $2\pi i$	um of residues of the (2) πi		finite	(4)	zero
	V-7	V-7	(0)		(~)	

12.	The transformation			
	(1) analytic	(2) conformal	(3) isogonal	(4) none of these
13.	The set of all bilines (1) Monoid			ransformations form a : (4) Non-Abelion group
14.	The function $f(z) =$	$e^{1/2}$ has essential sin	gularity at :	
	(1) $Z = 1$	(2) $Z = 0$	(3) $Z = 2$	(4) $Z = -1$
15.	 Exponential function Absolute value analytic Power function 	function when defi	ned on the set of re	eal or complex numbers is
16.	The simple poles of (1) $Z = 0, 1, 2,, n$, (3) $Z = 1, 2,, n$,		e at : (2) $Z = 0, -1, -2,$ (4) None of these	, -n,
17.	If $f(z)$ and $g(z)$ are then $f(z)$ and $f(z)$		l on a closed conton	ic and $ g(z) < f(z) $ on C ,
	(1) value	ularities	(2) number of pole(4) number of zero	
18.	The residue of $f(z)$	$= \frac{z^3}{z^2 - 1}$ at $z = \infty$ is	:	
	(1) -1	(2) 1	(3) 0	(4) 3
19.	the region:	of the function $log(1$ (2) $ Z < 1$		nt $Z=0$ is convergent for $(4) Z > 1$
20.	Which of the follow (1) v is a harmonic (2) An analytic fun	ving statement is no conjugate of <i>u</i> if and action with constant	ot correct? d only if u is a harmomodulus is constant	onic conjugate of $-v$.

(4) Both the real and imaginary parts of an analytic function are harmonic.

conjugate of v.

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21.	The result	"Let	$\langle f_n \rangle$	be a	sequence	of	non-negative	measurable	functions
	which conve	erge al	lmost ev	erywh	ere on a set	E	to a function f	Then $\int f \leq \underline{l}$	$\underline{\operatorname{im}} \int f_n$ " is
	known as:							E	E
	(1) F Riesz	Theor	em						

- r. Riesz Theorem
- (2) Bounded Convergence Theorem
- (3) Fatou's Lemma
- (4) Lebesgue Monotone Convergence Theorem
- The members of the smallest σ -algebra which contains all of the open sets are called :
 - (1) Lebesgue sets

(2) Borel sets

(3) σ -open sets

- (4) Lebesgue measurable sets
- **23.** For $0 \le p \le 1$, the series $\sum_{n=1}^{\infty} \frac{(-1)^n}{n^p}$ is:
 - (1) convergent but not absolutely
- (2) convergent
- (3) absolutely convergent
- (4) oscillatory
- The series $\sum_{n=1}^{\infty} \frac{\cos n \theta}{n^p}$ converges uniformly for all values of θ if:
 - (1) $p \ge 1$
- (2) p < 1
- (3) $p \le 1$
- (4) p > 1
- **25.** Outermeasure is a set function whose domain is:
 - (1) P(R)

(2) R

(3) Collection of all measurable sets

- (4) Collection of all continuous functions
- **26.** Which of the following is *not true*?
 - (1) Every absolutely continuous function is of bounded variation
 - (2) Every bounded function is of bounded variation
 - (3) Every monotone function on [a, b] is of bounded variation
 - (4) Every function of bounded variation is bounded
- 27. The word 'Topologi' was introduced in Germany in 1847 by:
 - (1) George Cantor

(2) Johann Benedict

(3) Kazimierz Kuratowski

- (4) Felix Hausdorff
- A function which is analytic for all finite values of Z and bounded is:
 - (1) a constant
- (2) zero
- (3) a function of Z (4) continuous

- **29.** The result "The order of a canonical product is equal to the exponent of convergence of its zeros" is known as:
 - (1) Borel's theorem

(2) Jensen's formula

(3) Bloch's theorem

(4) Morera's theorem

30. The constant

$$r = \lim_{n \to \infty} \left(1 + \frac{1}{2} + \frac{1}{3} + \dots + \frac{1}{n} - \log n \right)$$

is called:

(1) Euler's constant

(2) Euler's number

(3) Lebesgue constant

- (4) Lebesgue number
- **31.** The function $D: R \to R$ such that

$$D(x) = \begin{cases} 1 & \text{if } x \in Q \\ 0 & \text{if } x \notin Q \end{cases}$$

is known as:

(1) Step Function

- (2) Simple Function
- (3) Characteristic Function
- (4) Dirichlet's Function
- **32.** Every convergent sequence of measurable functions is nearly uniformly convergent. This result is known as:
 - (1) 1st principle of measurability
- (2) Littlewood's 2nd principle of measurability
- (3) Littlewood's third principle
- (4) Egorov's theorem
- **33.** If a_n and b_n are sequences of extended real numbers and $a_n \le b_n$ for all n sufficiently large. Which of the following is *not true*?
 - (1) $\lim \inf a_n \ge \lim \inf b_n$
- (2) $\lim \inf a_n \leq \lim \inf b_n$
- (3) $\limsup a_n \le \limsup b_n$
- (4) None of these
- **34.** The composition of two Lebesgue measurable functions is:
 - (1) not necessarily Lebesgue measurable
 - (2) Borel measurable
 - (3) always measurable
 - (4) always Lebesgue measurable

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35.	Every uniformly continuous function is:	p = 2
	(1) Absolutely continuous (2)) Not absolutely continuous
	(3) Not Continuous (4) None of these
36.	Which of the following statements is <i>not</i> co. (1) Ch. function of irrational numbers in [4) Ch. functions are simple functions (3) Ch. function of the set E of rational numbers (4) None of the above	0, 1] is Riemann integrable
37.	(1) ∞ (2	en the outer measure of <i>A</i> is equal to: a finite measure outer measure of the set of real numbers
38.		
		G. H. Moore (4) George Cantor
39.	The result "Let (-1, 1) be interval of cor $\sum_{n=0}^{\infty} a_n = S$, then $\lim_{x \to 1-0} \sum_{n=0}^{\infty} a_n x^n = S$ " is know	avergence for the power series $\sum a_n x^n$. If n as:
	(1) Uniqueness theorem (2	2) Weierstrass's theorem 4) Abel's theorem
40.	If a function f is convex and $f(0) \le 0$, then (1) f is superadditive on the positive half (2) f is additive (3) f is subadditive on the positive half at (4) f is superconvex	f axis
41.	A condition is said to be steady-state if the	e dependent variables are :
	(1) Not present in Heat equation (2)	2) Independent of time t 4) None of these
42.	The one-dimensional wave equation for a conditions $y(0, t) = 0$, $y(L, t) = 0$ indicates the	In elastic string of length L under boundary hat:
		the string is only fixed at x = 0none of these

- If H represents Hamiltonian function, then $\frac{dH}{dt}$ is equal to:
- $(2) \frac{\partial^2 H}{\partial t^2} \qquad (3) \frac{d^2 H}{dt^2}$
- (4) None of these
- The two dimensional Laplace equation in polar co-ordinates is given by:
 - $(1) \quad \frac{\partial^2 u}{\partial x^2} + \frac{1}{4} \frac{\partial u}{\partial x} = 0$

- (2) $\frac{\partial^2 u}{\partial x^2} + \frac{\partial u}{\partial x} + \frac{1}{x} \frac{\partial^2 u}{\partial x^2} = 0$
- (3) $\frac{\partial u}{\partial r} + \frac{1}{r} \frac{\partial^2 u}{\partial \rho^2} + \frac{1}{r^2} \frac{\partial^2 u}{\partial r^2} = 0$
- (4) $\frac{\partial^2 u}{\partial x^2} + \frac{1}{r} \frac{\partial u}{\partial r} + \frac{1}{r^2} \frac{\partial^2 u}{\partial \theta^2} = 0$
- For the heat conduction equation $\frac{\partial u}{\partial t} = c \frac{\partial^2 u}{\partial x^2}$ in a bar subject to the boundary conditions that the end x = 0 is held at zero temperature and the end x = 1 is at temperature zero, the boundary conditions can be expressed at:
 - (1) $u(0, t) \neq 0$; u(1, t) = 0

(2) $u(1, t) \neq 0$; u(0, t) = 0

(3) u(0, t) = 0; u(1, t) = 0

- (4) $u(0, t) \neq 0$: $u(1, t) \neq 0$
- The boundary value problem which models the displacement function for a semiinfinite string which is initially undisturbed and is given an initial velocity is expressed as:
 - (1) $\frac{1}{a^2} \frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial x^2}$; $u(x, 0) \neq 0$
 - (2) $\frac{1}{x^2} \frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial x^2}$; u(0, t) = 0; u(x, 0) = 0
 - (3) $\frac{1}{a^2} \frac{\partial^2 u}{\partial t^2} = \frac{\partial^2 u}{\partial x^2}$; u(x, 0) = 0; $\frac{\partial u}{\partial t}(x, 0) = 0$
 - (4) $\frac{1}{a^2} \frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial x^2}$; u(x, 0) = 0; $\frac{\partial u}{\partial t}(x, 0) = f(x)$
- **47.** For the Lagrangian function $L(t, q_i, q_i)$ the generalized momenta p_i is defined as:

- (1) $p_i = \frac{\partial L}{\partial q_i}$ (2) $p_i = \frac{\partial L}{\partial \dot{q}_i}$ (3) $p_i = \frac{\partial^2 L}{\partial a^2}$ (4) None of these
- If a lead is sliding on a uniformly rotating wire in a force free space, then the equations of motion are:
 - (1) $\ddot{r} = rw^2$

- (2) $\dot{r} = rw^2$ (3) $\ddot{r} = rw$ (4) $r = \ddot{r}w^2$

49.	Principle of least action states that the v (1) the parabolic path (3) any path	variation of the Lagrange action W* is zero for : (2) the circular path (4) the straight line path
50.	Which one of the following form a set of (1) $\frac{dq_{\alpha}}{dt} = \frac{\partial R}{\partial p_{\alpha}}, \frac{dp_{\alpha}}{dt} = -\frac{\partial R}{\partial q_{\alpha}}$ (3) $\frac{dq_{\alpha}}{dt} = -\frac{\partial R}{\partial p_{\alpha}}, \frac{dp_{\alpha}}{dt} = \frac{\partial R}{\partial q_{\alpha}}$	(2) $\frac{dq_{\alpha}}{dt} = -\frac{\partial R}{\partial n}, \frac{dp_{\alpha}}{dt} = -\frac{\partial R}{\partial a}$
51.	Solution of the I. V. P. $\frac{dy}{dx} = -y, \ y(0) = 1 \text{ is :}$ (1) e^t (2) e^{-t}	(3) $e^{-t/2}$ (4) $e^{t/2}$
52.	Solution of the integral equation $\int_0^x e^{x-t} dt$ (1) $x-1$ (2) x^2-1	u(t)dt = x is:

53. The eigen values of the integral equation

$$u(x) = \lambda \int_{-1}^{1} (x+t)u(t)dt$$
 are:

(1)
$$\pm \frac{\sqrt{3}}{2}$$

(1)
$$\pm \frac{\sqrt{3}}{2}$$
 (2) $\pm i \frac{\sqrt{3}}{2}$

$$(3) \pm i\sqrt{3}$$

(4)
$$1 \pm i\sqrt{3}$$

If the homogeneous Fredholm integral equation:

$$u(x) = \lambda \int_{a}^{b} k(x, t) u(t) dt$$

has only a trivial solution, then the corresponding non-homogeneous equation has always:

(1) no solution

(2) Infinite number of solutions

(3) a unique solution

(4) only trivial solution

Which of the following theorem expresses the symmetric Kernel of a Fredholm integral equation as an infinite series of product of its orthogonal eigen functions?

- (1) Poincare Bendixon Theorem
- (2) Bendixon Theorem
- (3) Hilbert-Schmidt Theorem
- (4) Mercer's Theorem

					E
56.	The problem of Braby:	achistochrone (shor	test time) was first fo	rmu	lated in the year 1696
	(1) Newton	(2) Jeans Bernouli	i (3) Leibnitz	(4)	Jacques Bernouli
57.	The curve which m	unimizes the function	onal $J(y) = \int_{a}^{b} (x - y)^2 dx$	is:	
	(1) $x - y = 0$	(2) $x + y = 0$	(3) $x - 2y = 0$	(4)	y - 2x = 0

- **58.** The geodesics of the circular cylinder $\overrightarrow{r} = (a \cos \phi, a \sin \phi, z)$ is:
- (1) Circle (2) Catenary (3) Straight line (4) Helix

angular momentum \vec{H} , then the kinetic energy T is given by :

- **59.** In the Lipschitz condition $|f(t,y_1) f(t,y_2)| \le k |y_1 y_2|$ condition on k is : (2) $k \ge 0$ (3) $0 < k \le 1$ (4) k < 1(1) k > 0
- **60.** If a rigid body rotates about a fixed point with an angular velocity $\overrightarrow{\omega}$ and has an
 - (2) $\frac{\Delta \cdot \vec{\omega}}{\vec{d}}$ (3) $\frac{1}{2} \vec{\omega} \cdot \vec{H}$ (4) none of these (1) $\overrightarrow{\omega} \times \overrightarrow{H}$
- **61.** "A function f(z) whose only singularities in the entire complex plane are poles" is called a:
 - (1) Analytic Function

(2) Harmonic Function

(3) Entire Function

- (4) Meromorphic Function
- **62.** Which of the following statement is *not correct*?
 - (1) Subspace of Hausdorff space is Hausdorff
 - (2) Product of two Hausdorff spaces is Hausdorff
 - (3) The space X is Hausdorff if and only if the diagonal $\Delta = \{x \times x ; x \in X\}$ is open in XXX
 - (4) The space X is Hausdorff if and only if the diagonal $\Delta = \{x \times x ; x \in X\}$ is closed in XXX
- The result "Let $X = A \cup B$ where A and B are closed in X. Let $f: A \to Y$ and $g: B \to Y$ be continuous. If f(x) = g(x) for every $x \in A \cap B$, then f and g combine to give a continuous function $h: X \to Y$ defined by setting h(x) = f(x) if $x \in A$ and h(x) = g(x) if $x \in B$ " is called:
 - (1) Pasting Lemma

(2) Zorn's Lemma

(3) Embedding Lemma

(4) Sequence Lemma

64. Every metric space is:

	(1) Normed space(3) Compact			Paracompact Not first axiom	sapo	ce	
65.	If <i>J</i> is the Jacobian and <i>y</i> . w.r.t. <i>u</i> and	of functions u and v , then:	v v	v.r.t. x and y and	nd)	o is the Jacobia	an of x
	$(1) JJ_0 = 1$	(2) $JJ_0 = 0$	(3)	$JJ_0 = -1$	(4)	$JJ_0 = 2$	*
66.	Any infinite cyclic a	group has exactly k	gene	erators where:			
	(1) $k = 1$	(2) $k = 3$	(3)	<i>k</i> = 2	(4)	k = 7	
67.	The index of a sadd	lle point is :					
	(1) 0	(2) 1	(3)	-1	(4)	does not exist	
68.	Let $F = \{f\}$ be an edeach function f is:	quicontinuous family	of	functions define	d on	a real interval	I, then
	(1) continuous on 2	I	(2)	uniformly cont	inuo	us on I	
	(3) not continuous		100	constant on I			
69.	The critical point (0	$(0,0)$ of the system $\frac{dx}{dt}$	= 41	$y, \frac{dy}{dt} = x \text{ is}:$			
	(1) stable			asymptotically			
	(3) not stable		(4)	stable but not a	sym	ptotically stable	e
70.		autonomous system					
	$\frac{dx}{dt} = ax + b$	$y, \frac{dy}{dt} = cx + dy$					
	where a, b, c, d ar	e real constants. If a	a = d	and b and c a	re o	f same sign su	ch that
		critical point (0, 0) o					
	(1) saddle point	(2) spiral point	(3)	node	(4)	centre	
71.	The concept of refle	exivity was introduce	ed b	y:			
	(1) H. Hahn	(2) F. Riesz	(3)	R. C. James	(4)	D. Hilbert	
72.	Which of the follow	ving is <i>not</i> a Hilbert s	spac	e ?			
	$(1) R^n$	(2) <i>l</i> ₂	(3)	$L_2[0, 1]$	(4)	$L_1[0, 1]$	
73.	In a normed linear	space, weak converg	ence	e implies strong	conv	vergence if :	
	(1) $\dim X < \infty$	(2) $\dim X > \infty$	(3)	$\dim X = \infty$	(4)	none of these	
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74.	Which of the following is <i>not true</i> ?					
	(1) C as a real vector space is of dimension two					
	(2) \mathcal{C} as a complex vector space is of di	imension one				
	(3) l_1 is reflexive	* *				
	(4) Space $C[a, b]$ is dense in $L_p[a, b]$					
75.	If x and y are orthonormal vectors in a	Hilbert space <i>H</i> , then:				
	(1) $\ x - y\ = 2$ (2) $\ x - y\ = \sqrt{2}$	(3) $\ x - y\ = 0$ (4) $\ x - y\ = 1$				
76.	L^p -spaces are complete. This result is kn	nown as:				
	(1) F. Riesz Theorem	(2) Riesz Fisher Theorem				
	(3) Lebesgue Theorem	(4) Jordan Decomposition Theorem				
77.	If <i>P</i> is a projection on a closed linear su	bspace M of H , then M is invariant under:				
	(1) $TP = PT$ (2) $P = TPT$	$(3) T = PTP \qquad (4) TP = PTP$				
78.	If <i>P</i> is a projection on a Hilbert space <i>H</i>	I, then which of the following is not true?				
	(1) <i>P</i> is a positive operator	$(2) O \leq P \leq 1$				
	(3) $ P > 1$	$(4) \ Px\ \le \ x\ \qquad \forall x \in H$				
79.	A one to one continuous linear transforspace is a :	mation of a Banach space onto another Banach				
	(1) Homomorphism	(2) Homeomorphism				
	(3) Closed Mapping	(4) Open Mapping				
80.	A subspace Y of a Banach space Y is co	omplete if and only if:				
	(1) The set Y is open in X	(2) The set Y is complete in X				
	(3) The set Y is closed in X	(4) None of the above				
81.	Which one of the following is <i>not</i> a topo	ological property ?				
	(1) Boundedness (2) Compact	(3) Closed (4) Open				
82.	Every metric space is paracompact. This	s theorem is named after:				
	(1) Stone (2) Michael	(3) Lindelof (4) Hausdorff				
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83.	Every convergent sequence in a topological space has a unique limit if X is:					
	(1) First countable Hausdorff space	(2) T_1 -space				
	(3) Hausdorff space	(4) Second countable space				
84.	Regular spaces were first studied in 192	1 by :				
	(1) Victoris (2) Hausdorff	(3) Kolmogorov (4) Tietz				
85.	The result "A topological space is a Ty into a cube" is known as:	chonoff space if and only if it is embeddable				
	(1) Embedding Lemma	(2) Tychonoff Embedding Theorem				
	(3) Urysohn's Metrization Theorem	(4) None of these				
86.	The space $C[0, 1]$ is not a:					
	(1) Complete space	(2) Normed linear space				
	(3) Metric space	(4) Regular space				
87.	If (X, T) is an indiscrete topological spa	ace, then it has:				
	(1) no component	(2) compact component				
	(3) finite number of components	(4) only X as the component				
88.	For an empty set ϕ , which statement is t	rue?				
	(1) $d(\phi) = +\infty$ (2) $d(\phi) = -\infty$	(3) $\inf(\phi) = -\infty$ (4) none of these				
89.	Which of the following statement is <i>not</i>	true?				
	(1) R^n is connected	(2) R is connected				
	(3) Q is connected	(4) C^n is connected				
90.	The norm . from a vector space <i>X</i>	to R is a:				
	(1) Linear functional	(2) Sublinear functional				
	(3) Bi-linear functional	(4) Superlinear functional				
91.	The basis and the degree of the extension	on $Q(\sqrt{2}, \sqrt{3})$ over Q is:				
	(1) $\{\sqrt{2}, \sqrt{3}\}, 4$	(2) $\{1, \sqrt{2}, \sqrt{3}\}, 4$				
	(3) $\{1, \sqrt{2}, \sqrt{3}, \sqrt{6}\}, 4$	(4) $\{1, \sqrt{2}, \sqrt{3}\}, 2$				

92.	The set <i>R</i> of real numbers is : (1) totally bounded (3) countably compact		locally compact sequentially compact
93.	Every Lindelof metric space is: (1) Compact (3) Second countable	, ,	First countable Reducible
94.	Which of the following topology is coars	ser t	han the usual topology of R?
	(1) lower limit topology on R	(2)	upper limit topology on R
	(3) co-countable topology on <i>R</i>	(4)	finite complement topology on R
95.	Which of the following properties is Her	redi	tary?
	(1) 2nd axiom of countablility	(2)	Compactness
	(3) Lindelofness	(4)	Seperability
96.	The concept of normality of a topological	al sp	ace was introduced by :
	(1) Urysohn (2) Tichonov	(3)	Hausdorff (4) Tietze
97.	Which of the following properties is <i>not</i>	t inv	ariant under continuous map?
	(1) Lindeloffness		Separability
	(3) 1st axiom of countability	(4)	Compactness
98.	Which of the following statements is <i>no</i>	t co	rrect?
	(1) Cantor set is perfect		Contor set is totally disconnected
	(3) Cantor set is closed	(4)	Cantor set is countable
99.	Let <i>N</i> be the set of non-negative integer	rs. T	hen the collection
	$H = \{F : N - F \text{ is finite}\} \text{ is know}$		
	(1) Atomic Filter	(2)	Cofinite Filter
	(3) Frechet Filter	(4)	Nbd Filter
100.	Which of the following statement is <i>not</i>	t tru	e ?
	(1) Usual topological space (R, V) is H		
	(2) Every indiscrete space containing a		
	(3) Every Discrete topological space is		
	(4) All metric spaces are Hausdorff		

